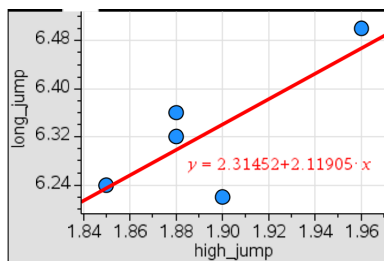
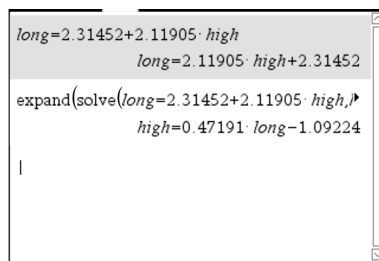


## CIMT Statistics p234 Example



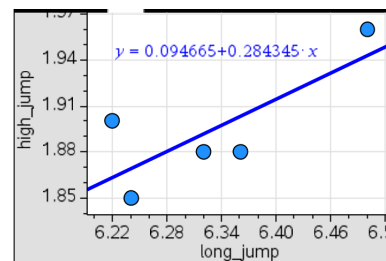
Used for predicting  
Long Jump distance  
from  
High Jump.

$$\text{Long} = 2.31452 + 2.11905 \times \text{High}$$



From the left, we have the  
equation  
Long=2.31452+2.11905×High

When algebraically  
rearranged, we obtain:  
High=-1.09224+0.47191×Long  
which is **not** the same as  
the equation on the right.



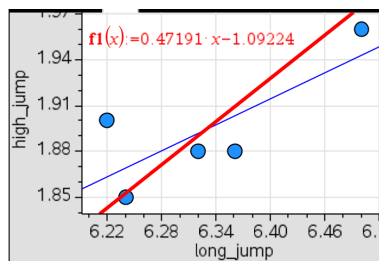
Used for predicting  
High Jump height  
From  
Long Jump.

$$\text{High} = 0.094665 + 0.284345 \times \text{Long}$$

### Competitor G

Predicted long jump:

$$\text{Long} = 2.31452 + 2.11905 \times 1.92 = 6.38\text{m}$$



Plotting both regression lines  
on the same axes, you can see  
their difference.

### Competitor F

Predicted high jump:

$$\text{High} = 0.094665 + 0.284345 \times 6.44 = 1.93\text{m}$$

**Note:** in the above example, we have not attempted to verify that the linear regression was indeed appropriate. It seems a bit of a long shot, and we'd be for the high jump if we didn't do the usual checks. In fact, it turns out that  $r=0.77$ , the p-value for the hypothesis tests (on both  $\rho$  and  $\beta$ ) is 12%, so we'd conclude that it was not linear, the line was not useful for prediction. Unsurprisingly, the residual plot is a disaster too ... why not check it out yourself?!